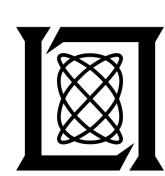


$CatlNet: Learning\ Communication\ and\ Coordination \\ Policies\ from\ CaTL+\ Specifications$



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Introduction

- Capability Temporal Logic plus (CaTL+) [1] is an expressive language to specify complex mission requirements for heterogeneous multi-agent systems (HMAS).
- Previous work [1] applied trajectory optimization to synthesize controllers from CaTL+ specifications, which is **computationally expensive**, **open-loop**, and **centralized**.
- We present a learning-based framework to simultaneously learn the **communication** and **distributed control** policies for a HMAS under CaTL+ specifications.
- Both policies are implemented using a novel neural network model called **CatlNet**. A **repair** algorithm is also introduced to improve training efficiency and performance.

System Model

Consider a team of agents \mathcal{J} . Each agent $j \in \mathcal{J}$ has dynamics

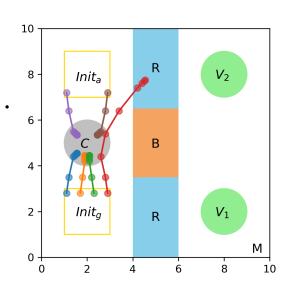
$$x_j(t+1) = x_j(t) + u_j(t), \quad t = 0, 1, \dots, H-1.$$
 (1)

Each agent j has a random initial state $x_j(0)$ with distribution P_j and a set of capabilities Cap_j .

Ind. trajectory: $\mathbf{x}_j = x_j(0) \dots x_j(H)$. Team trajectory: $\mathbf{X} = \{(\mathbf{x}_j, Cap_j)\}_{j \in \mathcal{J}}$. Example:



• 2 UAVs: {"Delivery", "Inspection"}.



CaTL+

CaTL+, interpreted over **team trajectories**, can express rich, complex requirements. For example:

- 6 agents with capability "Delivery" eventually reach C;
- $\Phi_1 = \langle \mathbf{F}_{[0,8]} x \in C, \text{ "Delivery", 6} \rangle$ 3 agents with "Delivery" eventually reach V_1 and V_2 ;
- $\Phi_2 = \langle \mathbf{F}_{[0,25]} x \in V_1, \text{ "Delivery"}, 3 \rangle \land \langle \mathbf{F}_{[0,25]} x \in V_2, \text{ "Delivery"}, 3 \rangle$
- UGVs cannot go over the bridge until 2 UAVs inspect it; $\Phi_3 = \neg \langle x \in B, \text{ "Ground"}, 1 \rangle \mathbf{U}_{[0,5]} \langle x \in B, \text{ "Inspection"}, 2 \rangle$
- UGVs should always avoid entering the river R:

$$\Phi_4 = \mathbf{G}_{[0,25]} \langle \neg (x \in R), \text{ "Ground"}, 4 \rangle$$

• No more than 1 UGV can be on the bridge B:

$$\Phi_5 = \mathbf{G}_{[0,25]} \neg \langle x \in B, \text{ "Ground"}, 2 \rangle$$

• All agents should always stay in region M:

$$\Phi_6 = \mathbf{G}_{[0,25]} \langle x \in M, "Delivery", 6 \rangle$$

The **robustness** of CaTL+ measures how strongly a specification Φ is satisfied by \mathbf{X} .

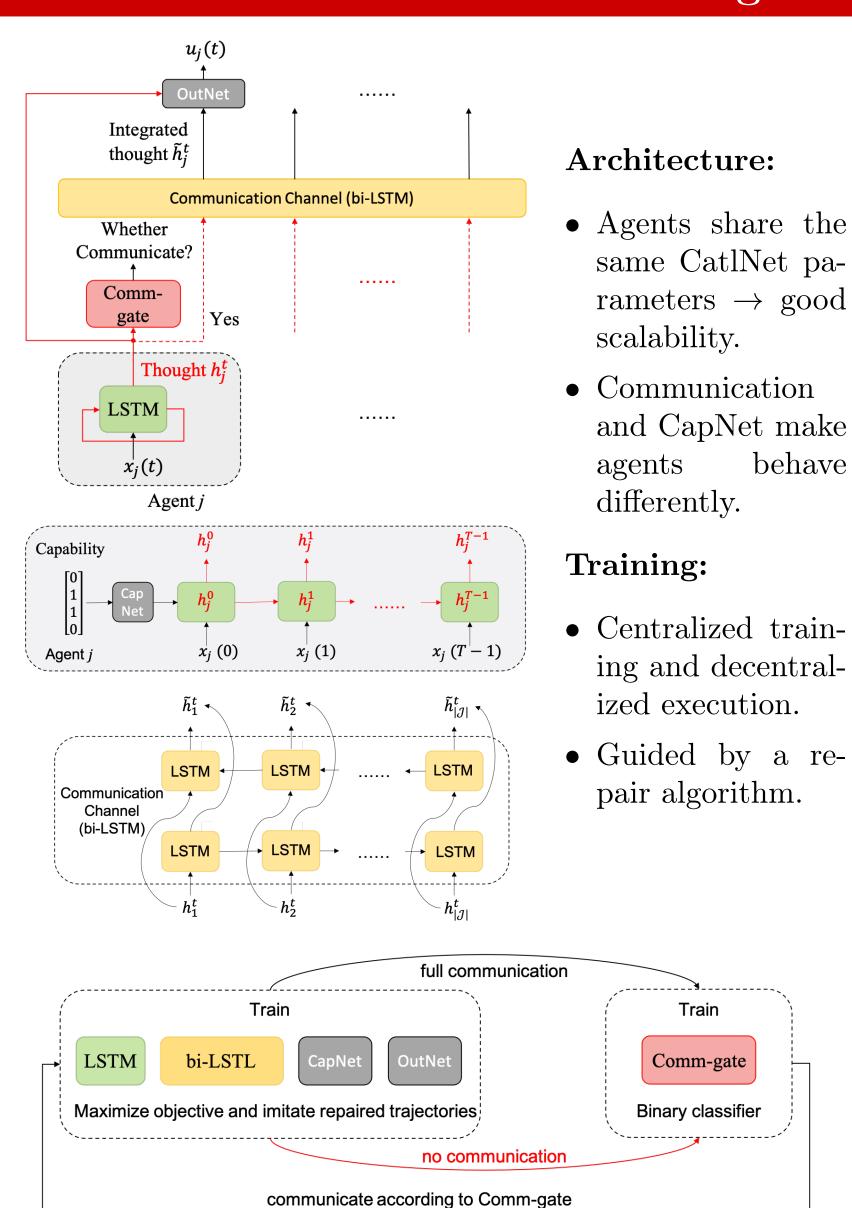
Problem Formulation

- each agent can only observe its own state $x_j(t)$ at time t;
- ullet all agents have access to a communication channel and can broadcast and receive a vector to and from the channel at each time t.

Problem: Given a HMAS and a CaTL+ specification Φ , we have **two objectives**:

- find the control policy and the communication vectors that maximize the CaTL+ robustness and minimize a cost.
- minimize the number of times that agents access the communication channel. (When and what to communicate.)

CatlNet Architecture and Training



Repair Algorithm

- Direct learning might stuck at local optima, while learning from demonstrations might fail given unseen conditions.
- Demonstrations adapted from the learner's own behavior (i.e., repair) is easier to learn.

Repair trajectories given by CatlNet to satisfy CaTL+ specification. **Retrain** CatlNet to simultaneously maximize objective and imitate repaired trajectories.

References

[1] Liu, Wenliang, et al. "Robust Multi-Agent Coordination from CaTL+ Specifications." IEEE American Control Conference (ACC) 2023.